| Question | Answers | Additional Comments/Guidelines | Mark |
| :---: | :---: | :---: | :---: |
| 01.1 | attempt to apply principle of moments either about pivot or (LH) end of ruler ${ }_{1} \checkmark$ $\text { mass }=127(.04)(\mathrm{g})_{2} \downarrow$ <br> assumption is that ruler is uniform / mass evenly distributed OR <br> weight acts at the centre $/ \mathrm{mid}$-point $/ \mathrm{middle}$ OR <br> centre of mass / gravity is at the centre/mid-point/middle ${ }_{3} \checkmark$ | for ${ }_{1} \checkmark$ for evidence of moments taken expect clockwise and anticlockwise moment; <br> for moment about pivot expect to see either 29 or 49; for use of LH end of ruler expect 30 or 50 <br> don't insist on seeing masses in kg, distances in $m$ or the inclusion of 9.81 or $g$ in the working; condone $g$ seen on one side only <br> rounding to 127 g earns ${ }_{1} \checkmark$ and ${ }_{2} \checkmark$ | 3 |
| 01.2 | force on wire is upwards OR $\uparrow 1^{\checkmark}$ <br> current is from $\mathbf{P}$ to $\mathbf{Q}$ OR rightwards $\mathbf{O R}$ (left) to (the) right $\mathbf{O R} \rightarrow_{2} \downarrow$ <br> states direction of force and direction of current (or ${ }_{3} \checkmark=0$ ) and makes a suitably justified deduction, eg using left-hand rule OR LH rule <br> AND <br> $B$ is into the page OR into plane of Figure $3 \mathrm{OR} \otimes_{3} \checkmark$ | for ${ }_{1} \checkmark$ condone 'motion is upwards' <br> for ${ }_{2} \checkmark$ 'towards Q' OR 'positive to negative' are not enough <br> allow logically correct (using LH rule) ${ }_{3} \checkmark$ for either downwards force with correct current AND/OR upwards force with wrong current <br> increased flux density below wire is acceptable alternative to LH rule | 3 |
| 01.3 | gradient calculated from $\Delta M$ divided by $\Delta I$, condone read off errors of $\pm 1$ division; minimum $I$ step $\geq 2.0 \mathrm{~A}_{1} \checkmark$ evidence of $g=9.81$ or 9.8 correctly used in working for $\sigma$ or $B_{2} \checkmark$ $\|B\|$ in range $1.76 \times 10^{-2}$ to $1.87 \times 10^{-2}$ or $1.8 \times 10^{-2}(\mathrm{~T})_{3} \checkmark$ | for ${ }_{1} \checkmark$ expect $(-) 0.28\left(\mathrm{~g} \mathrm{~A}^{-1}\right)$; do not penalise for missing - sign <br> for ${ }_{2} \checkmark$ look for $\sigma=$ their gradient $\times 9.81\left(\times 10^{-3} \mathrm{~N}\right)$ <br> OR $B=\frac{\text { their gradient } \times 9.81\left(\times 10^{-3}\right)}{15\left(\times 10^{-2}\right)}$; condone POT errors <br> for ${ }_{3} \checkmark$ CAO by correct method only; ignore - sign if provided; no limit on maximum sf | 3 |


| Question | Answers | Additional Comments/Guidelines | Mark |
| :---: | :---: | :---: | :---: |
| 01.4 |  Reduced No <br> effect Increased <br> Force acting on <br> wire  $1^{\checkmark}$  <br> Force acting on <br> prism $2^{\checkmark}$   <br> Gradient of <br> graph $3^{\checkmark}$   <br> Vertical intercept $4^{\checkmark}$   | $\begin{aligned} & 1^{\checkmark}=1 \text { mark } \\ & 2^{\checkmark}=1 \text { mark } \\ & { }_{3^{\vee}} \text { and } 4_{4^{v}=1} \text { mark } \end{aligned}$ <br> allow any distinguishing mark as long as only one per row <br> for $\checkmark$ and $\mathbf{x}$ in same row ignore $\mathbf{x}$ <br> for $\checkmark$ and $\checkmark$ in same row give no mark <br> ignore any crossed-out response unless only distinguishing mark on row | 3 |
| 01.5 | any complete circuit connecting the power supply in Figure $\mathbf{6}$ to $\mathbf{X}$ and to $\mathbf{Y}$ that produces currents in $\mathbf{X}$ and in $\mathbf{Y}$ that travel left to right ${ }_{1} \checkmark$ wiring correct so that $\mathbf{X}$ and $\mathbf{Y}$ are in series (see below) ${ }_{2} \checkmark$ | allow parallel circuit for ${ }_{1} \checkmark$ but reject use of additional power supply <br> if $\mathbf{X}$ and/or $\mathbf{Y}$ is/are short-circuited award no marks; for impractical circuits eg voltmeter added in series, award no marks ignore any current arrows added to diagram | 2 |


| Question | Answers | Additional Comments/Guidelines | Mark |
| :---: | :---: | :---: | :---: |
| 01.6 | strategy: <br> states that readings of $M$ (as the dependent variable) will be measured for different values of independent variable, $I$ or $d$ only ${ }_{1} \checkmark$ <br> clearly identifies the correct control variable, $d$ or I only; condone $\frac{d}{L}=$ constant if $I$ varied $\mathbf{O R} I^{2} L \mathbf{O R} I L=$ constant if $d$ varied; it must be clear how the value of the control variable is known ${ }_{2} \checkmark$ states that $L$ will be measured or gives value eg $L=5.0 \mathrm{~cm}_{3} \checkmark$ use of $g$ to convert $M$ reading to $F$; evidence may be found in expression for $k_{4} \checkmark$ | for ${ }_{1} \checkmark$ condone $F$ identified as the dependent variable or as the balance reading; <br> reject 'measure change in mass / change in $F$ ' <br> failure to make $M$ or $F$ the dependent variable cannot score ${ }_{1} \checkmark$ or ${ }_{2} \downarrow$ <br> for ${ }_{2} \sqrt{ }$ if $d$ is being varied and $I=5.0 \mathrm{~A}$ is stated, this can be taken to mean $I$ is the control variable and the value is known <br> for ${ }_{1} \checkmark$ and for ${ }_{3} \checkmark$ insist that $M$ and $L$ are being read <br> OR measured OR recorded <br> for ${ }_{4} \checkmark$ 'work out force' is not enough; reject 'acceleration' for $g$ | MAX 3 |
|  | analysis: <br> suggests a plot with $M$ or $F$ [by itself or combined with another factor] on the vertical axis and some valid manipulation of their independent variable on the horizontal axis ${ }_{5} \checkmark$ <br> identifies correctly how $k$ can be found using the gradient of their graph; $k$ must be the subject of the expression given ${ }_{6} \checkmark$ OR <br> if suggesting a plot with $\log M$ or $\log F$ on the vertical axis etc identifying correctly how $k$ can be found from the graph intercept ${ }_{6} \checkmark$ OR <br> suggesting a plot with $M$ or $F$ on the vertical axis etc and identifying correctly how $k$ is found using the area under the line ${ }_{56} \checkmark=1$ MAX | the intention to plot $M$ against $I^{2}$ is taken to mean that $M$ is the dependent variable and is plotted on the vertical axis examples: plot $M$ against $I^{2}$ will earn ${ }_{5} \checkmark$ and then $k=\frac{g \times d \times \text { gradient }}{L}$ will earn ${ }_{6} \checkmark$ or plot $F$ against $\frac{1}{d}$ will earn ${ }_{5} \checkmark$ and then $k=\frac{\text { gradient }}{I^{2} \times L}$ will earn ${ }_{6} \checkmark$ (note that when $F$ is the dependent variable $g$ will not appear in the expression for $k$ ) | 2 |
| Total |  |  | 19 |


| Question Number | Acceptable Answer |  | Additional Guidance | Mark |
| :---: | :---: | :---: | :---: | :---: |
| 2(a) | An explanation that makes reference to the following points: <br> - The potential difference creates an electric field <br> - An (electric) field/force does work on the electrons (increasing their kinetic energy) Or an (electric) field/force accelerates the electrons (increasing their velocity) | (1) <br> (1) |  | 2 |
| 2(b)(i) | - (Perpendicularly) out of the page <br> - The force is perpendicular to the magnetic field and the direction of (conventional) current Or an application of Fleming's Left-Hand Rule | (1) <br> (1) | Accept movement of electrons for current | 2 |
| (b)(ii) | An explanation that makes reference to the following points: <br> - There would be a force (of constant magnitude) on the electron perpendicular to its direction of motion <br> - Causing an acceleration towards the centre of a circle | $\begin{aligned} & (1) \\ & (1) \end{aligned}$ | Accept reference to centripetal force for MP1 | 2 |
| (c)(i) | - Use of $F=B Q v$ and $F=E Q$ <br> - Algebra to show $v=\frac{E}{B}$ | (1) <br> (1) |  | 2 |
| (c)(ii) | - Use of $W=Q V$ and $E_{k}=\frac{1}{2} m v^{2}$ <br> - Use of $v=\frac{E}{B}$ <br> - $\frac{e}{m}=1.7 \times 10^{11} \mathrm{C} \mathrm{kg}^{-1}$ | (1) <br> (1) <br> (1) | Example of calculation: $\begin{aligned} & v=\frac{E}{B}=\frac{1.4 \times 10^{4} \mathrm{~V} \mathrm{~m}^{-1}}{1.5 \times 10^{-3} \mathrm{~T}} \quad \frac{e}{m}=\frac{v^{2}}{2 V} \\ & \frac{e}{m}=\frac{\left(9.33 \times 10^{6} \mathrm{~m} \mathrm{~s}^{-1}\right)}{2 \times 250 \mathrm{~V}}=1.74 \times 10^{11} \mathrm{C} \mathrm{~kg}^{-1} \end{aligned}$ | 3 |


| (d) | The hydrogen ion must be (about 2000 times) more <br> massive than the electron <br> Or the electron must be (about 2000 times) less <br> massive than the hydrogen ion | Accept "proton" for "hydrogen ion" |
| :--- | :--- | :--- | :--- |

(Total for Question 2=12 marks)

## Section B

Q1.
$\left.\begin{array}{|l|l|c|}\hline \begin{array}{l}\text { Question } \\ \text { Number }\end{array} & \text { Answer } & \text { Mark } \\ \hline & \begin{array}{ll}\text { Arrow added to diagram downwards on or near the copper rod } \\ \text { An indication that the field is at right angles to the page or copper rod } \\ \text { Magnetic field into page }\end{array} & \begin{array}{c}\text { (1) } \\ \text { (1) }\end{array} \\ \begin{array}{l}\text { (Upward arrow for current } \rightarrow \text { magnetic field out of page. } \\ \text { If no arrow on rod MP2 \&3 can still be scored) }\end{array} & \mathbf{3} \\ \hline & \text { Total for question } & \text { (1) }\end{array}\right]$

Q2.

| Question Number | Acceptable Answer |  | Additional Guidance | Mark |
| :---: | :---: | :---: | :---: | :---: |
|  | - Use of $F=B I l \sin \theta$ <br> - Use of $F=m g$ <br> - $B=0.0786 \mathrm{~T}$ | (1) <br> (1) <br> (1) | Example of calculation: $\begin{aligned} & B I l=m g \\ & \therefore B=\frac{5.65 \times 10^{-3} \mathrm{~kg} \times 9.81 \mathrm{~N} \mathrm{~kg}^{-1}}{4.55 \mathrm{~A} \times 15.5 \times 10^{-2} \mathrm{~m}} \\ & =0.07859 \mathrm{~T} \end{aligned}$ | 3 |

Q3.

| Question <br> Number | Acceptable answers | Additional guidance | Mark |
| :---: | :---: | :---: | :---: |
| * | This question assesses a student's ability to show a coherent and logical structured answer with linkage and fully-sustained reasoning. Marks are awarded for indicative content and for how the answer is structured and shows lines of reasoning. <br> The following table shows how the marks should be awarded for indicative content. <br> Indicative content <br> - There is an alternating p.d./E-field <br> - P.d/E-field accelerates protons between dees <br> - Magnetic field perpendicular to plane of dees <br> - Proton path curved by magnetic field <br> - As velocity of protons increases radius of path in dees increases <br> - The time for which a proton is in a dee remains constant Or the frequency of p.d./E-field is constant | Guidance on how the mark scheme should be applied: The mark for The following table shows how the marks should be awarded for structure and lines of reasoning <br> IC2 accept 'in the gap' for between dees. Accept increases $E_{k}$ for accelerates <br> IC3 accept vertical or upwards for perpendicular to plane. <br> IC5 accept reference to $r=p / B Q$ | 6 |

Q4.

| Question Number | Answer |  | Mark |
| :---: | :---: | :---: | :---: |
| (a) | Only (moving) charged particles are deflected by a magnetic field Or <br> Only charged particles can be accelerated to produce a beam | (1) (1) | 1 |
| (b) | Into the page | (1) | 1 |
| (c) | $\begin{aligned} & \text { Use of } F=m v^{2} / r \text { Or use of } r=p / B Q \\ & \text { Use of } F=B q v \text { Or use of } p=m v \\ & m=6.64 \times 10^{-26} \mathrm{~kg} \end{aligned}$ <br> Example of calculation $\begin{aligned} & m v^{2} / r=B q v \\ & m=B q r / v=\left(0.673 \mathrm{~T} \times 1.6 \times 10^{-19} \mathrm{C} \times 7.40 \times 10^{-2} \mathrm{~m}\right) / 1.20 \times 10^{5} \mathrm{~m} \mathrm{~s} \\ & m=6.64 \times 10^{-26} \mathrm{~kg} \end{aligned}$ | $\begin{aligned} & \text { (1) } \\ & \text { (1) } \\ & \text { (1) } \end{aligned}$ | 3 |
| (d) | Semicircle drawn starting from same initial point and a smaller radius | (1) | 1 |
|  | Total for question |  | 6 |

Q5.

| Question Number | Acceptable Answer | Additional Guidance | Mark |
| :---: | :---: | :---: | :---: |
| (i) | - Use of $F=B Q v$ and $F=E Q$ <br> - Algebra to show $v=\frac{E}{B}$ |  | 2 |
| (ii) | - Use of $W=Q V$ and $E_{k}=$ $\frac{1}{2} m v^{2}$ <br> - Use of $v=\frac{E}{B}$ <br> - $\frac{\varepsilon}{m}=1.7 \times 10^{11} \mathrm{C} \mathrm{kg}^{-1}$ | Example of calculation: $\begin{align*} & v=\frac{E}{B}=\frac{1.4 \times 10^{4} \mathrm{Vm}^{-1}}{1.5 \times 10^{-3} \mathrm{~T}} \quad \frac{e}{m}=\frac{v^{2}}{2 V}  \tag{1}\\ & \frac{e}{m}=\frac{\left(9.33 \times 10^{6} \mathrm{~m} \mathrm{~s}^{-12}\right)}{2 \times 250 \mathrm{~V}}=1.74 \times 10^{11} \mathrm{C} \mathrm{~kg}^{-1} \end{align*}$ | 3 |

Q6.

| Question <br> Number | Answer |  | Mark |
| :---: | :---: | :---: | :---: |
| (a) | The magnetic field (must be) at right angles to the current | (1) | 1 |
| (b) | All three units for force, length and current clearly identified <br> (The unit of force is $\mathrm{kg} \mathrm{m} \mathrm{s}^{-2}$, the unit of current is A, the unit of length is m ) $\mathrm{T}=\mathrm{kg} \mathrm{~A}^{-1} \mathrm{~s}^{-2}$ |  | 2 |
| (c) | Use of $\rho=m / V$ <br> Use of $m g=B I l$ <br> $B=0.53$ (T) (no u.e. as given in question for part (b)) <br> Example of calculation $\begin{aligned} & m=2.7 \times 10^{3} \mathrm{~kg} \mathrm{~m}^{-3} \times 10 \times 10^{-3} \mathrm{~m} \times 10 \times 10^{-3} \mathrm{~m} \times l \\ & m=0.27 \times l \\ & B=\left(0.27 \times l \times 9.81 \mathrm{~m} \mathrm{~s}^{-2}\right) /(5 \mathrm{~A} \times l) \\ & B=0.53 \mathrm{~T} \end{aligned}$ | $\begin{aligned} & \text { (1) } \\ & (1) \\ & (1) \end{aligned}$ | 3 |
| (d) | (Magnetic field is) into paper/page | (1) | 1 |
|  | Total for question |  | 7 |

Q7.

| Question <br> Number | Acceptable Answer | Additional Guidance | Mark |
| :---: | :---: | :---: | :---: |
| (i) | •Electric field vertically <br> downwards (from top plate to <br> bottom plate) <br> Magnetic field into paper | (1) | (1) |


| Question <br> Number | Acceptable Answer | Additional Guidance | Mark |
| :---: | :---: | :---: | :---: |
| (ii) | - Use of $E=\frac{V}{d}$ <br> - Use of $F_{\mathrm{E}}=E Q$ <br> - Use of $F_{\mathrm{M}}=B Q v$ <br> - Show that these forces are equal (if $v$ is $2.2 \times 10^{5} \mathrm{~m} \mathrm{~s}^{-1}$ ) and hence state that $B$ is suitable | Do not award MP4 if incorrect ion charge used <br> Example of calculation: $\begin{aligned} & E=\frac{V}{d}=\frac{135 \mathrm{~V}}{2.5 \times 10^{-2} \mathrm{~m}}=5400 \mathrm{Vm}^{-1} \\ & F=E Q=5400 \mathrm{Vm}^{-1} \times 1.6 \times 10^{-19} \mathrm{C}=8.6 \times 10^{-16} \mathrm{~N} \\ & F=B Q v=24.5 \times 10^{-3} \mathrm{~T} \times 1.6 \times 10^{-19} \mathrm{C} \times 2.2 \times 10^{5} \mathrm{~ms}^{-1} \\ & =8.6 \times 10^{-16} \mathrm{~N} \end{aligned}$ | 4 |

## Q8.

| Question Number | Answer | Mark |
| :---: | :---: | :---: |
| (i) | Outward spiral from centre in either direction, minimum of two complete loops | 1 |
| (ii) | Direction consistent with diagram: <br> Clockwise path, field out of page <br> Anticlockwise path, field into page | 1 |
| (iii) | Electric field/p.d. between dees causes (resultant) force/acceleration <br> Proton makes half a revolution in half a cycle of the a.c. Or facing dee (always) negative when proton reaches gap. Or whenever the proton gets to a gap, the p.d. has reversed <br> k.e./speed (only)increases each time the proton crosses the gap Or work done by the field in the gap increases the k.e. | 3 |
| (iv) | $\begin{aligned} & \text { Bev=mv2} / r \text { Or } r=p / B e \\ & v=2 \pi r / T \\ & T=1 / f \text { (seeing } f=v /(2 \pi r) \text { scores MP2 \& 3) } \\ & \text { Or } \\ & \text { Bev }=m r \omega^{2} \\ & v=r \omega \\ & \omega=2 \pi f \text { (seeing } v / r=2 \pi f \text { scores MP2 \& 3) } \end{aligned}$ | 3 |
| (v) | Use of $B=2 \pi f \mathrm{~m} / \mathrm{e}$ with mass of proton $\begin{equation*} f=1.8 \times 10^{4} \mathrm{~Hz} \tag{1} \end{equation*}$ <br> Example of calculation $\begin{aligned} & f=e B / 2 \pi m \\ & f=\left(1.6 \times 10^{-19} \mathrm{C} \times 1.2 \times 10^{-3} \mathrm{~T}\right) /\left(2 \pi \times 1.67 \times 10^{-27} \mathrm{~kg}\right) \\ & f=1.8 \times 10^{4} \mathrm{~Hz} \end{aligned}$ | 2 |

