

Marking Scheme

#1

| Question | Marking details | Marks available | | | | | |
|-----------------------|---|-----------------|----------|----------|-----------|----------|----------|
| | | AO1 | AO2 | AO3 | Total | Maths | Prac |
| (a) | Horizontal line[s] with direction indicated from X to Y | 1 | | | 1 | | |
| (b) (i) | Substitution into $F = \frac{Ve}{d}$ shown: $\frac{1800 \times 1.6 \times 10^{-19}}{3.2 \times 10^{-3}}$ (1) $F = 9.0 \times 10^{-14}$ [N] (1) | 1 | 1 | | 2 | 2 | |
| (ii) | [Gain in $E_k =$ Work done by field] Gain in $E_k = 9.0 \times 10^{-14} \times 3.2 \times 10^{-3}$ (1) (ecf on F) Gain in $E_k = 2.88 \times 10^{-16}$ J unit mark (1) Alternative: $W = 1.6 \times 10^{-19} \times 1800$ (1) $W = 2.88 \times 10^{-16}$ J unit mark (1) [Accept 1800 eV unit mark] | 1 | 1 | | 2 | 2 | |
| (iii) | $x = ut + \frac{1}{2}at^2$ and $u = 0$ (all possible by implication) (1) $a = \frac{F}{m}$ and substitution step: ecf on F e.g. $t^2 = \frac{2 \times 3.2 \times 10^{-3} \times 9.11 \times 10^{-31}}{9.0 \times 10^{-14}}$ (1) $t = 2.54 \times 10^{-10}$ [s] (1) Alternative: $\frac{1}{2}mv^2 = 2.88 \times 10^{-16}$ to calculate v (1) Application of $x = \frac{(u+v)t}{2}$ (1) ecf on v $t = 2.54 \times 10^{-10}$ [s] (1) | 1 | 1 | | 3 | 3 | |
| (c) | F doubled (explained from $\frac{Ve}{\frac{1}{2}d}$) (1) $W = 2F \times \frac{d}{2}$ so no change (1) Accept: $W = QV$ and Q stated to be constant (1) so W remains unchanged (1) | | | 2 | 2 | | |
| Question total | | 4 | 4 | 2 | 10 | 7 | 0 |

#2

| Question | Marking details | Marks available | | | | | |
|-----------------------|--|-----------------|-----------|----------|-----------|-----------|-----------|
| | | AO1 | AO2 | AO3 | Total | Maths | Prac |
| (a) (i) | Statement that length of error bar = largest reading (of U) – smallest reading (of U) [1] Accept reference from mean point to max or min if clearly stated. Data from one plot to show this e.g. for 6.8 μ F capacitor, length of error bar calculated as = $14 \times 10^{-4} - 13.2 \times 10^{-4}$ [1] [award 1 st mark by implication if 2 nd mark awarded] | | 2 | | 2 | 1 | 2 |
| (ii) | Length of horizontal error bar for one data point taken and divided by 2. e.g. for 6.8 μ F, (0.65 to 0.70 seen) [1] % tolerance calculated: 10% (Accept 6% to 12%) e.g. $0.68 \times \frac{100}{6.8}$ [1] | | 2 | | 2 | 1 | 2 |
| (b) (i) | $U = \frac{1}{2}CV^2$ used and V shown (by implication possibly) to = $(2 \times \text{gradient})^{1/2}$ [1] $V_{\text{max}} = 22.4$ [V] [1] $V_{\text{min}} = 18.0$ [V] [1] | | 3 | | 3 | 3 | 3 |
| (ii) | Mean $V = \frac{(22.4+18.0)}{2} = 20.2$ [V] (any sig fig.) [1] Uncertainty = $\frac{(22.4-18.0)}{2} = 2.2$ [V] (any sig fig) [1] or candidate answers to (i) used correctly (ecf) 2 or 3 sig figs seen for mean V and 1 or 2 sig figs for uncertainty [1] | | 3 | | 3 | 3 | 3 |
| (c) | Substitution into $V = V_0 e^{-\frac{t}{CR}}$ [1] Algebra to show either $V = 8$ V or $V_0 = 20$ V or $t = 35$ s or CR value [1] Relevant statement: e.g. value confirmed [1] | | | 3 | 3 | 2 | 3 |
| Question total | | 0 | 10 | 3 | 13 | 10 | 13 |

#3

| Question | Marking details | Marks available | | | | | |
|-------------------------|---|-----------------|----------|----------|-----------|----------|----------|
| | | AO1 | AO2 | AO3 | Total | Maths | Prac |
| 3 (a) | Plates of X are closer together (than plates of Y) or vice-versa [1] X contains dielectric (or space between plates of X contains material of higher permittivity) or vice-versa [1] Accept: Overlap of plates in X > overlap of plates in Y | 2 | | | 2 | | |
| (b) (i) | Series combination: Substitution - $\frac{1}{C_{series}} = \frac{1}{20[\mu F]} + \frac{1}{30[\mu F]}$ or $C_{series} = \frac{20 \times 30}{20 + 30} [\mu F]$ [1] $C_{series} = 12 \mu[F]$ [1] Total capacitance = $52 \mu[F]$ [1] | 1 1 | 1 | | 3 | 2 | |
| (ii) | Idea that Q is same on both capacitors, either stated or e.g. $C \propto \frac{1}{V}$ [1] $20 [\times 10^{-6}] \times \text{pd across } C_2 = 30 [\times 10^{-6}] \times \text{pd across } C_3$ [1] [Both marks can be awarded if this seen] | 1 | 1 | | 2 | 1 | |
| (iii) | 40 [V] | | 1 | | 1 | 1 | |
| (iv) | C_1 stores the greatest charge with explanation: Largest capacitance and greatest pd across it [1] $Q = 40 \times 10^{-6} \times 100 = 0.004 [C]$ [1] | 1 | 1 | | 2 | 1 | |
| (c) | Substitution: $E = \frac{1}{2} \times 1.6 \times 10^{-3} \times (300)^2$ [1] $E = 72 [J]$ [1] Energy gained by Al block = $mc\Delta\theta$ or substitution seen i.e. $E = 0.1 \times 910 \times 0.6$ [1] $E = 54.6 [J]$ [1] Efficiency (%) = $\frac{54.6 \text{ ecf} \times 100}{72 \text{ ecf}} = 75.8 \% \therefore$ Not justified / criteria not met [1] | | | 5 | 5 | 3 | |
| Question 3 total | | 6 | 4 | 5 | 15 | 8 | 0 |

#4

| Question | Marking details | Marks available | | | | | |
|-------------------------|--|-----------------|----------|----------|-----------|----------|----------|
| | | AO1 | AO2 | AO3 | Total | Maths | Prac |
| 6 (a) | capacitance = $\frac{\text{charge (on either plate)}}{\text{pd (between the plates)}}$ Accept charge per unit pd / voltage [between plates] (1) Accept $C = \frac{Q}{V}$ if Q and V defined | 1 | | | 1 | | |
| (b) (i) | $Q = -75 \text{ nC}$, $R = +75 \text{ nC}$, $S = -75 \text{ nC}$ All numerical values stated as 75 [nC] (1) Correct signs and unit, i.e. nC (1) One of: (1) <ul style="list-style-type: none"> Capacitors in series carry equal charges when joined to common pd Conservation of charge applies for series circuit [hence if +75 μC moves from A to plate P, the same moves from Q \rightarrow R etc] Opposite charge to P (accept R), since connected to negative potential [Accept: battery transfers electrons from P to Q] | 3 | | | 3 | | |
| (ii) | Total capacitance = 7.5 nF (1) $V = \frac{75 \times 10^{-9}}{7.5 \times 10^{-9}}$ (ecf on total C) $V = 10 \text{ V}$ (1) Alternative: Application and substitution into $\frac{Q}{C_1} + \frac{Q}{C_2}$ i.e. $\frac{75 \times 10^{-9}}{30 \times 10^{-9}} + \frac{75 \times 10^{-9}}{10 \times 10^{-9}}$ (1) $V = 10 \text{ V}$ (1) | | 2 | | 2 | 2 | |
| (iii) | Either: Q same on both capacitors (1) $\frac{1}{2} \frac{Q^2}{C}$ is bigger on smaller capacitor (1) (Award 2 marks for correct numerical analysis) Or: $V \propto \frac{1}{C}$ so V bigger across smaller capacitor (1) $\frac{1}{2} CV^2$ bigger across smaller capacitor (V^2 factor) (1) (Award 2 marks for correct numerical analysis) Or Q same on both capacitors and $V \propto \frac{1}{C}$ so V bigger across smaller capacitor (1) $\frac{1}{2} QV$ is bigger on smaller capacitor (1) (Award 2 marks for correct numerical analysis) | | | 2 | 2 | | |
| (c) | New $C = 0.47 \text{ pF}$ (1) New $d = 3.0 \times 10^{-3} \text{ m}$ (1) $\Delta d = 5.2 \times 10^{-3} - 3.0 \times 10^{-3} = 2.2 \times 10^{-3} \text{ m}$ (1) (ecf from new d) Application of $F = k\Delta d$ ecf $k = 91 \text{ N m}^{-1}$ so spring of $k = 90 \text{ N m}^{-1}$ suitable [conclusion consistent with value of F](1) Alternative 'Trial and Error' : Application of $x = \frac{F}{k}$ for each spring constant, showing that for: $k = 120 \text{ N m}^{-1}$, $x = 1.67 \times 10^{-3} \text{ m}$ $k = 150 \text{ N m}^{-1}$, $x = 1.33 \times 10^{-3} \text{ m}$ $k = 90 \text{ N m}^{-1}$, $x = 2.22 \times 10^{-3} \text{ m}$ (All required for 1) New $C = 0.47 \text{ pF}$ (1) Application of $C = \frac{\epsilon_0 A}{d}$ for each value of x above to show that, for $x = 2.22 \times 10^{-3} \text{ m}$, $C = 0.475 \times 10^{-12} \text{ F}$, so $k = 90 \text{ N m}^{-1}$ suitable. (1) | | | 4 | 4 | 3 | |
| Question 6 total | | 4 | 2 | 6 | 12 | 5 | 0 |

#5

| Question | | Marking details | Marks available | | | | Maths | Prac |
|----------|-------|--|-----------------|----------|----------|-----------|----------|-----------|
| | | | AO1 | AO2 | AO3 | Total | | |
| (a) | | Electrons (or negative charges) are deposited on Z [and this plate becomes negatively charged] (1) Electrons (or negative charges) are removed from Y [and this plate becomes positively charged] (1) | | 2 | | 2 | | 2 |
| (b) | (i) | Initial pd across capacitor = pd of cell (by implication) and correct application to show R or I | | 1 | | 1 | | 1 |
| | (ii) | Reference to resolution of voltmeter (1) which is too small to be plotted (1) (on given scale) | | | 2 | 2 | | 2 |
| | (iii) | Error bars [are ± 1 s] | | 1 | | 1 | | 1 |
| | (iv) | Appropriate (corresponding) values from graph e.g. $V_0 = 6$ V, $V = 4$ V, $t = 13$ s (1) Correct algebra [$V = V_0 e^{-\frac{t}{CR}}$] to show $t = 32$ [s] (1) Alternative: Time constant = $0.37 V_0$ stated or implied or $V = 2.2[2]$ V (1) Time constant = 32 [s] (1) Alternative: $T_{\frac{1}{2}} = 0.69RC$ (1) $RC = 31$ [s] (1) Alternative: Initial gradient = $-\frac{V_0}{RC} = -\frac{6}{33}$ (tangent at $t = 0$ intercepts time axis at $t = 33$ s) (1) $RC = \frac{6 \times 33}{6} = 33$ [s] (1) | | 2 | | 2 | 2 | 2 |
| | (v) | Application of time constant = CR (1) $C = \frac{32}{68000} = 471 \mu\text{F}$ (ecf in t or candidate value used) (1) % uncertainty calculated as $3\% + 3.2\% = 6.2\%$ (1) Absolute uncertainty = $\pm 30 \mu\text{F}$ So: $470 \pm 30 \mu\text{F}$ (or 0.47 ± 0.03 mF) (1) consistency of sig figs | 1 | 1 | | | | |
| | (vi) | Correct substitution into $V = V_0 e^{-\frac{t}{CR}}$ (1) V shown = 1.1 [V] (1) Reference to continued graph line going through this point (1) | | | | | | |
| | | Question total | 1 | 9 | 5 | 15 | 8 | 15 |