

- 1) B
- 2) B
- 3) B
- 4) A
- 5) B
- 6) B
- 7) D
- 8) D
- 9) C
- 10) B
- 11) A
- 12) C
- 13) B
- 14) B
- 15)

(a)	point at which (whole) weight of body	M1	
	may be <u>considered</u> to act	A1	[2]
	(allow definition based on gravitational force)		
(b) (i)	380 N	B1	
(ii)	position nearer A than B	B1	
(iii)	clear indication about which point moments are taken	B1	
	e.g. $950 \times x = 380 \times 1.7$	C1	
	$x = 68 \text{ cm}$	C1	
	distance = 108 cm or 1.08 m (accept 2 sig fig)	A1	[6]

16)

mass:	property of body which resists change in motion		
	OR quantity/amount of matter/substance	B1	
	constant OR scalar quantity	B1	
weight:	effect of gravitational field on a mass/body		
	OR force due to pull of gravity	B1	
	variable OR vector quantity	B1	[4]
	(if units given, allow ½ for 2 nd and 4 th marks)		

17)

(a)	mass: measure of body's resistance/inertia to changes in velocity/motion	B1	
	weight: effect of gravitational field on mass or force of gravity	B1	
	any further comment e.g. mass constant, weight varies/		
	weight = mg/scalar and vector	B1	[3]
(b)	e.g. where gravitational field strength changes (change) in fluid surrounding body.... 1 each, max 2	B2	[2]

18)

(a)	scalar: magnitude only vector: magnitude and direction (<i>allow scalar with direction</i>) (<i>allow 1 mark for scalar has no direction, vector has direction</i>)	B1 B1	[2]
(b)	diagram has correct shape with arrows in correct directions resultant = $13.2 \pm 0.2 \text{ N}$ (<i>allow 2 sig. fig</i>) (<i>for 12.8 → 13.0 and 13.4 → 13.6, allow 1 mark</i>) (<i>calculated answer with a correct sketch, allow max 4 marks</i>) (<i>calculated answer with no sketch – no marks</i>)	M1 A1 A2	[4]
Total			[6]

19)

(a)	<u>change</u> in velocity/time (taken)	B1	[1]
(b)	velocity is a vector/velocity has magnitude & direction direction changing so must be accelerating	B1 B1	[2]
(c)	<i>either</i> $6.1 \times \cos 35 = 4.99 \text{ N}$ so no resultant vertical force $6.1 \sin 35 = 3.5 \text{ N}$ horizontally <i>or</i> scale shown triangle of correct shape resultant = $3.5 \pm 0.2 \text{ N}$ horizontal $\pm 3^\circ$	B1 B1 B1 B1	[4]
	<i>allow answer based on centripetal force:</i> resultant is centripetal force (which is horizontal) resultant is horizontal component of tension $6.1 \sin 35 = 3.5 \text{ N}$ horizontally	(B1) (B1) (B1) (B1)	

20)

(a)	(i) use of tangent at time $t = 0$ acceleration = $42 \pm 4 \text{ cm s}^{-2}$	B1 A1	[2]
	(ii) use of area of loop distance = $0.031 \pm 0.001 \text{ m}$ allow 1 mark if $0.031 \pm 0.002 \text{ m}$	B1 B2	[3]
(b)	(i) $F = ma$ = 0.93×0.42 {allow e.c.f. from (a)(i)} = 0.39 N	C1 A1	[2]
	(ii) force reduces to zero in first 0.3 s then increases again in next 0.3 s in the opposite direction	B1 M1 A1	[3]

21)

- (a) $3.5 T$ B1 [1]
- (b) (i) distance = average speed \times time (however expressed)
= 14 m C1
A1 [2]
- (ii) distance = $5.6 \times (T - 5)$ (or $3.5T - 14$) A1 [1]
- (c) $3.5T = 14 + 5.6(T - 5)$ C1
 $T = 6.7 \text{ s}$ A1 [2]
- (d) (i) acceleration = $(5.6 / 5) = 1.12 \text{ m s}^{-2}$ C1
force = ma C1
= 75 N A1 [3]
- (ii) power = (force \times speed) = $\{75 + 23\} \times 4.5$ C1
= 440 W A1 [2]
(allow 1/2 for 234 W, 0/2 for 338 W or 104 W)

22)

- (a) (i) $v^2 = 2as$
 $1.2^2 = 2 \times a \times 1.9$ M1
 $a = 0.38 \text{ m s}^{-2}$ A1 [2]
- (ii) $F = ma$
= 42×0.38 M1
= 16 N A0 [1]
- (b) power = Fv C1
= 16×1.2
= 19 W A1 [2]
- (c) (i) component = $42 \times 9.8 \times \sin 2.8$ C1
= 20.1 N A1 [2]
- (ii) accelerating force = $20.1 - 16 = 4.1 \text{ N}$ C1
acceleration of trolley = $4.1 / 42 = 0.098 \text{ m s}^{-2}$ C1
 $s = \frac{1}{2}at^2$
 $3.5 = \frac{1}{2} \times 0.098 \times t^2$ C1
 $t = 8.5 \text{ s}$ A1 [4]
- (d) either allows plenty of time to stop runaway trolley
or speed of trolley increases gradually
or trolley will travel faster B1 [1]
(answer must be unambiguous when read in conjunction with question)

23)

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|------------|---|----|------------|
| (a) | sum of forces in any direction is zero
(allow vector/algebraic sum, resultant force...) | B1 | |
| | sum of moments about any point is zero
(allow algebraic sum, resultant...)
(If no mention of direction or point, allow max $\frac{1}{2}$ overall) | B1 | [2] |
| (b) | same force F in both springs | C1 | |
| | resultant is $2F \cos 60$ OR scale drawing | M1 | |
| | resultant is F , so extension is x
(maximum $\frac{1}{3}$ if uses x alone, without reference to kx) | A1 | [3] |
| (c) | (i) correct direction for W | B1 | |
| | (ii) correct direction for T | B1 | |
| | (iii) correct direction for R | B1 | [3] |