

1)

(a)	(i)1	360 (Ω)	B1	
	(i)2	Current	B1	not symbol only; not unit only
	(ii)1	$1/10 + 1/20 + 1/40 = 1/R$ $R = 5.7 (\Omega)$	C1 A1	$1/R = 0.175$ accept 40/7
	(ii)2	potential difference	B1	accept p.d. or voltage not e.m.f.; not symbol only; not unit only
(b)	(i)	p.d./voltage must be proportional to current as long as temperature and/or (other) physical conditions remain constant R line is straight and <u>through the origin</u>	M1 A1 B1	symbols may be used but must be defined
	(ii)1	(same current so) at 0.6 A have $4.5 \text{ V} + 4.5 \text{ V} (=9.0 \text{ V})$	B1 B1	accept resistors in series (so V's add); i.e recognise that at 0.6 A each component has 4.5 V across it.
	(ii)2	add currents so at 3.0 V have $0.2 \text{ A} + 0.4 \text{ A} = 0.6 \text{ A}$	B1 B1	accept attempt to add currents for 1 mark (i.e. method mark)
	(iii)	thermistor heats up/temperature increases resistance (of thermistor/circuit) decreases (so current rises) temperature/resistance becomes constant (after 2 s) because thermal equilibrium reached	B1 B1 B1 B1	max 3 marks accept thermal energy frees more charge carriers/AW accept energy/power/heat in/generated = energy/power/heat out/lost
		Total	15	

2)

Question	Expected Answers	M	Additional Guidance	
a	i	V J C^{-1} R V A^{-1} P J s^{-1} I C s^{-1}	B1 B1 B1	4 correct 3 marks; 2 correct 2 marks 1 correct 1 mark
b	i	using $V_{\text{out}} = R_2/(R_1 + R_2) V_{\text{in}}$: $V_{\text{out}} = 3.6 \text{ V}$ $3.6 = R_2/(560 + R_2) 6$ $R_2 = 840 (\Omega)$ alt: $2.4 = I \times 560$ so $I = 4.3 \text{ mA}$ $3.6 = I R_2$	C1 C1 A1	accept $R_2 = (3.6/2.4) \times 560$ or $.2.4 = 560/(560 + R_2) 6$
	ii	$I = 4.3 \times 10^{-3} (\text{A})$	B1	accept 4.3 m(A) or 3/700 (A) ecf (b)(i) i.e. $I = 6/(560 + R_2)$
c	i	$20 \pm 2 (\text{ }^\circ\text{C})$	B1	
	ii	R_{Th} will fall/ resistance will fall giving greater share of supply V across fixed R/AW causing the voltage across (fixed) R/voltmeter reading to rise	B1 B1 B1	accept explanation in terms of potential divider equation or current increases or current same in both resistors/resistors in series
	iii	ΔR is large for small ΔT at low temperatures/AW in terms of gradient so thermistor is better in circuit to control low temp, refrigerator	M2 A1	accept sensitivity greater at low temperature or vice versa or ΔR is small for small ΔT at high temperatures scores 1 out of 2
		Total question 3	14	


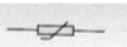
3)

(a)		R's in parallel have same V/AW so $4.0 \times 0.30 = 6.0 \times 0.20$	M1 A1	allow I splits in inverse ratio to R or AW; hence I in 6 ohm = $4 / 6 \times 0.3 = 0.2 \text{ A}$
(b)	(i)	sum of/total current into a junction equals the sum of/total current out or total algebraic sum of currents is zero	B1	allow Kirchhoff's first law
	(ii)	0.50 (A)	A1	accept 0.5 (A) (no SF error)
(c)		correct formula for R_p and substitution $R_p = 2.4 \Omega$ $R_s = 8.0 (\Omega)$	C1 C1 A1	apply ecf to R_p for second mark accept 8 (Ω) (no SF error)

4)

(a)	(i)	sum of/total current into a junction equals the sum of/total current out conservation of charge	B1 B1	total vector sum of currents is zero allow 'point in a circuit' for 'junction'
	(ii)	(sum of) e.m.f.s = sum/total of p.d.s/sum of voltages in/around a (closed) loop (in a circuit) energy is conserved	B1 B1	allow 'in a (closed) circuit' in place of 'loop'
(b)	(i)	current in $750 \Omega = 0.020 \text{ A}$	A1	allow 20 mA or 0.02 A
	(ii)	V across $750 \Omega = 0.02 \times 750 = 15 \text{ V}$	A1	ecf b(i)
	(iii)	$R_1 = (45 - 15)/0.03 = 1000 \Omega$ $R_2 = 15/0.01 = 1500 \Omega$	A1 A1	ecf b(ii)
(c)	(i)	correct symbol connected in circuit	B1	2 arrows pointing towards the resistor at about 45° with or without a circle; arrows outside circle if drawn
	(ii)	total R falls so I in circuit/in R_1 increases so V across R_1 increases and V across 750Ω falls	B1 M1 A1	accept sum of R's in parallel falls R_1 is fixed so V across R_1 increases so V across R's in parallel falls (so V across 750Ω falls) or correct potential divider argument
	(iii)	in series with LDR ammeter (A) 50 mA	M1 A1 B1	allow voltmeter in parallel with R_1 (30 – 50 V) allow multimeter connected as A (series) or V (parallel) and a correct unit for range given allow 20 to 100 mA; or 15 to 50 V
			Total	15

5)

a		 for R_1  for R_2	B1 B1	
b	i	500Ω	B1	accept $\pm 20 \Omega$
	ii	$7.0 = I \times 500$; $I = 0.014 \text{ (A)}$	B1	ecf b(i)
	iii	$5.0 = 0.014 \times R$ or $12 = 0.014(500 + R)$ $R = 360 \Omega$	M1 A1	ecf b(i)(ii) allow $R = 500 \times 5/7 = 360 \Omega$
	iv	(at 200°C) $R_{th} = 250 \Omega$ V across thermistor = $12 \times 250/(250 + 350) = 5.0 \text{ V}$ alt $5.0 = 12 \times R/(R + 350)$ or $I = 7.0/350 = 0.02 \text{ A}$; $V_{th} = 5.0 = 0.02 \times R$ $R = 250 \Omega$ which occurs at 200°C	B1 B1	allow $R_{th} = 250 \pm 10$ giving 4.8 to 5.1 V expect 350 or 360; allow 1 SF where answer is 5.0 NOT $250 \times 0.02 = 5.0 \text{ V}$; 0.02 A must be justified allow $7.0 = 12 \times 350/(350 + R)$
c		switch on $5.0 = 12 \times 250/(250 + R)$ or $7.0 = 12 \times R/(250 + R)$ giving $R = 350 \Omega$ which is 190°C switch off $7.0 = 12 \times 250/(250 + R)$ or $5.0 = 12 \times R/(250 + R)$ giving $R = 180 \Omega$ which is 210°C or Switch on, $R_2 / R_1 = 7/5$ giving $R_2 = 250 \times 7/5 = 350 \text{ ohm}$ Switch off, $R_2 / R_1 = 5/7$ giving $R_2 = 250 \times 5/7 = 179 \text{ ohm}$	M1 A1 M1 A1	accept solution in 2 stages first calculating currents on $I = 0.02$ and $R = 7/0.02$ off $I = 0.028$ and $R = 5/0.028$ allow $\pm 5^\circ\text{C}$ in reading from graph N.B. zero marks for correct temperatures quoted without some correct working/justification
		Total question 2	12	

6)

a		energy per unit area per unit time	B1	accept power per unit area; allow second for unit time
b		Small changes in R for high light intensities/daylight conditions Large changes in R for low light intensities/dim light/night time conditions to change circuit state need a significant change in R to be useful/reliable	B1 B1 B1	accept low R by day, high R by night for 1 mark NOT comparison e.g. R by day smaller than R at night max 2 marks from 3 marking points
c	i	2.5 (k Ω)	A1	allow 2.4 to 2.6
	ii	$5.0 = I \times 2.5 \text{ k}\Omega$ giving $I = 2.0 \times 10^{-3} \text{ A}$	C1 A1	ecf (c)(i) accept 2.0 mA
	iii	$4.0 = 2.0 \times 10^{-3} \times R$ or potential divider argument giving $R = 2.0 \times 10^3 \Omega$	M1 A0	ecf (c)(ii) or ecf (c)(i) accept 2.0 k Ω
d		R (of LDR) = 1(.0 k Ω) potential divider of 1.0 k Ω and 2.0 k Ω giving 3.0 V across LDR	B1 C1 A1	accept $I = 3.0 \text{ (mA)}$ so $V = 3.0 \text{ (mA)} \times 1.0 \text{ (k}\Omega) = 3.0 \text{ V}$
e		light shining on the LDR will cause it to switch the illumination off causing an ON/OFF oscillation/AW	B1 B1	two suitable qualifying statements for the 2 marks
		Total question 3	12	

7)

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	ii	$I = 4.3 \times 10^{-3}$ (A)	B1	accept 4.3 m(A) or 3/700 (A) ecf (b)(i) i.e. $I = 6/(560 + R_2)$
c	i	20 ± 2 (°C)	B1	
	ii	R_{Th} will fall/ resistance will fall giving greater share of supply V across fixed R/AW causing the voltage across (fixed) R/voltmeter reading to rise	B1 B1 B1	accept explanation in terms of potential divider equation or current increases or current same in both resistors/resistors in series
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