

1)

(a)	(i)	<p><i>displacement</i> : (any) distance moved from equilibrium of a <u>point/particle</u> on a wave <i>amplitude</i> maximum displacement (caused by wave motion)</p>	<p>B1 B1</p>	<p>allow rest, zero, mean position</p>
(a)	(ii)	<p><i>frequency</i> number of wavelengths passing a point /vibrations at a point <u>per</u> unit time/second or produced by the wave source /AW <i>phase difference</i> between two points on the same wave/waves of the same frequency, how far through the cycle one point is compared to the other</p>	<p>B1 B1</p>	<p>allow number of oscillations / cycles per second accept in one second allow suitable descriptions of in phase <u>and</u> out of phase; or an angular measurement of how much a wave leads or lags/AW</p>
(b)		<p>pulse starts at 0.5 s ends at 2.0 s pulse shape is reversed from Fig 6.1 pulse has correct amplitudes</p>	<p>B1 B1 B1 B1</p>	<p>ie amplitude decreasing from L to R over 1.5s accept inversion in time axis NB if extra loops, probably only first marking point available if diagram looks like a coiled spring rather than a smooth curve, 1st, 2nd and 4th marking points are possible</p>
Total			8	

2)

a		<p>oscillation/vibration of <u>particles/medium</u> in direction of travel of the wave example: sound wave, etc. oscillation/vibration of <u>particles/medium</u> (in the plane) at right angles to direction of travel of the wave example: surface water waves, string, electromagnetic, etc</p>	<p>B1 B1 B1 B1</p>	<p>allow direction of energy transfer of the wave not direction of wave motion allow direction of energy transfer of the wave allow RE mark for weaker descriptions with same omissions as in longitudinal wave</p>
b		<p>the incident wave is reflected at the end of the pipe <u>reflected wave</u> <u>interferes/superposes</u> with the incident wave to produce (a resultant wave with) nodes and/or antinodes</p>	<p>B1 B1 B1</p>	<p>QWC mark accept resultant wave with no energy transfer</p>
c	i	<p>at 0 oscillation with max amplitude along tube at 0.2 m (oscillation along tube with) smaller amplitude at 0.6 m no motion/node</p>	<p>B1 B1</p>	<p>not displacement (penalise only once) all 4 correct for 2 marks; 2 correct for 1 mark</p>
	ii	<p>oscillation at 3 times the frequency of c(i) at 0 (oscillation with) max amplitude (along tube)/antinode at 0.2 m no motion/node at 0.4 m motion as at 0 (but in antiphase/opposite direction)</p>	<p>B1 B1</p>	<p>3 correct for 2 marks; 2 correct for 1 mark</p>
d	i	<p>$\lambda/2$ sketch with zero at 0.3 m</p>	<p>M1 A1</p>	<p>accept 1 or 2 lines, solid or dotted</p>
	ii	<p>$2f_0$</p>	<p>B1</p>	<p>no ecf from d(i)</p>
Total question 6			14	

3)

(a)		travel in a vacuum same speed (in vacuum)/at c caused by accelerating charges are (oscillating) electric and magnetic fields	B1 B1	max 2 marks from 4 marking points for any one incorrect property, max of 1/2 if 2 incorrect properties, score 0
(b)		10^{-4} microwaves; 10^{-6} ir; 10^{-8} uv; 10^{-12} gamma	B1 B1	4 correct 2 marks 2 correct 1 mark
(c)	(i)	the incident wave is reflected at the sheet to produce return wave of <u>same frequency</u> /AW reflected wave is weaker OR the reflected wave has travelled a greater distance	B1 B1	accept incident and reflected waves are from same source/of same wavelength/AW allow wave amplitude decreases with distance
(c)	(ii)	reflected wave interferes/superposes with the incident wave constructive interference occurs (or waves add) to give maxima/AW and destructive interference occurs (or waves add) to give minima/AW detail given, e.g. waves add in phase for max/out of phase for min or path difference $n\lambda$ for max $(2n + 1)/2 \lambda$ for min	B1 M1 A1	if <u>incident</u> and <u>reflected</u> waves identified in (c)(i) accept "the waves interfere / superpose" QWC mark for second marking point accept antinodes for maxima and nodes for minima
(c)	(iii)	$\lambda/4 = 7.5$ mm; $\lambda = 30$ mm	B1	
(c)	(iv)	appreciation that I is proportional to a^2 ratio = $(0.8 + 0.6)^2 / (0.8 - 0.6)^2$ = $(1.4/0.2)^2 = 7^2 = 49$	C1 C1 A1	
NOW SCROLL DOWN TO CHECK PAGE 18 IS BLANK				
Total			13	

4)

Question	Expected Answers	M	Additional Guidance
4			
a	same frequency / period different amplitude / phase	B1 B1	accept wavelength / sinusoidal /AW accept + sine and – sine for 2 marks
b	because the waves have a <u>constant</u> phase relationship or are <u>continuous</u> and have the <u>same</u> f/period/ λ they are coherent	M1 A1	accept same phase relationship for 1 mark only
c	use of 3 ms as period $f = 1/3.0 \times 10^{-3} = 330$ (Hz) using $v = f\lambda$ $340 = 330 \lambda$ $\lambda = 1.0(2)$ (m)	C1 A1 C1 A1	ecf for f possible e.g. $\lambda = 1020$ (m) accept 1.03 (m) no SF error here
d	i 0	B1	
	ii 1.0 (μ m)	B1	look for SF error i.e. zero for 1 (μ m)
e	i Intensity \propto (amplitude) ² so ratio is $(3/2)^2 = 9/4$ (giving 2.25 I)	C1 A1	allow $I \propto A^2$
	ii resultant $A = A_S + A_T = (\pm) 1$ so ratio is $(1/2)^2$ giving 0.25 I	C1 A1	ecf from (d)(ii)
f	i phase shift of π or 180° required or movement of $\lambda/2$ $1.02/2 = 0.51$ (m)	B1 B1	ecf from (c); accept $(2n + 1)/2 \lambda$ accept 0.50 m
	ii intensity increases to the maximum value	B1 B1	accept quantitative answers, i.e. from 0.25 I to 6.25 I
Total question 4		18	

5)

(a)	(i)	$f = 1000/2$ $f = 500$ (Hz)	C1 A1	give 1 mark for $\frac{1}{2}$ (POT error)
	(ii)	$v = f\lambda$ giving $340 = 500 \times \lambda$ $\lambda = 0.68$ (m)	C1 A1	ecf(a)(i)
(b)		sinusoidal curve of same frequency and amplitude \pm cosine curve	B1 B1	must be drawn for 2 full cycles to score this mark allow drawn as sine curve from $t = 0.5$ ms
(c)		relates to the oscillation of two points on the (same) wave how far 'out of step' one oscillation is from the other/AW $\lambda/4$ means a phase difference of 90° or $\pi/2$ (rad)	B1 B1 B1	accept vibration N.B. statements about oscillations of two waves can only score the third marking point
(d)		sine wave of same frequency with increased amplitude realisation that intensity is proportional to (amplitude) ² giving amplitude increase by $\sqrt{2}$, i.e. 2.8 mm	B1 B1 B1	
(e)	(i)	the wave reflected at the end of the pipe interferes/superposes with the incident wave to produce a resultant wave with nodes and antinodes both ends must be antinodes the pipe must be $n\lambda/2$ in length for this to happen	B1 B1 B1 B1	max 3 marks
	(ii) 1	air molecules oscillate along the axis of the tube with maximum amplitude	B1 B1 B1	max 2 marks; allow vibrate; if transverse wave is clearly implied then can only score third marking point
	(ii) 2	no motion/nodal point	B1	allow zero displacement/amplitude
Total			18	

6)

a		(micro)waves are reflected (at the metal walls) reflected waves interfere/superpose with the incident waves to produce nodes and antinodes (– a stationary wave pattern)	B1 B1 B1	allow points of constructive and destructive interference
b		X are the points of maximum energy/intensity/amplitude so are antinodes	M1 A1	allow displacement in this case
c		measurement = 3 cm or $\lambda/2 = 6$ cm so $\lambda = 0.12$ m $c = f\lambda = 2.5 \times 10^9 \times 0.12$ $= 3.0 \times 10^8$ (m s ⁻¹)	B1 C1 M1 A1	measurement to within ± 1 mm ecf measurement, i.e. $\lambda = 4 \times$ measurement there must be a valid calculation shown scores 1 out of final 3 for answer of 1.5×10^8 allow 1 SF, i.e. 3×10^8
Total			9	

7)

i 1	$\frac{3}{4} \lambda$ with node at closed end and antinode at open end	B1	allow poorly proportioned sketches which reach both ends
i 2	all nodes and antinodes drawn in bi1 correctly labelled N and A only two N and two A present	B1 B1	positions of labels must be accurate to the eye allow max of one mark for only 3 out of the 4 labelled
ii	$\lambda/2 = 33 \text{ cm}$ $v = f\lambda = 512 \times 0.66$ $v = 338 \text{ or } 340 \text{ (m s}^{-1}\text{)}$	C1 C1 A1	or $\lambda/4 = 16.5 \text{ cm}$ N.B. an incorrect value of $\lambda/4$ or $\lambda/2$ scores 0/3
i	the pipe is one wavelength long with both ends antinodes so sketch must have 3 antinodes and 2 nodes <u>with reasonably correct proportions</u>	B1	
ii1	256 (Hz)	B1	
ii2	$\lambda/2$ with antinodes at both ends	B1	
iii	v is the same in the pipe at all f/length is fixed = $\lambda_0/2 = \lambda_1$ so as $f_1 \lambda_1 = f_0 \lambda_0$ then $f_1 = 2f_0$ or harmonics must have antinodes at both ends of the pipe so <u>next</u> possible pattern is <i>one wavelength/has 3A and 2N</i>	B1 B1	allow 1 mark for: as $f_1 = 2f_0$ then f_1 is the second harmonic or halving the wavelength doubles the frequency
Total question 5		17	